

Applied Statistical Methods - Solution 5

AUTHOR
Peter von Rohr

PUBLISHED
March 25, 2024

WEBR STATUS

● Ready!

Problem 1: Linear Regression on Genomic Information

Use the genomic dataset given at https://charlotte-ngs.github.io/asmasss2024/data/asm_flem_genomic_data.csv to fit a linear regression model of the given observation on the two genomic locations. Assume that both loci have a purely linear effect on the observation.

Tasks

- Read the data from https://charlotte-ngs.github.io/asmasss2024/data/asm_flem_genomic_data.csv

▶ Run Code



```
1 # read data
2 s_genom_data <- "https://charlotte-ngs.github.io/asmasss2024/data/asm_flem_genomic_data.csv"
3 df_genom <- read.table(s_genom_data, header = T, sep = ",")
4 df_genom
```

Animal	SNP.G	SNP.H	Observation
1	1 \$G_1G_1\$	\$H_1H_2\$	510
2	2 \$G_1G_2\$	\$H_1H_1\$	528
3	3 \$G_1G_2\$	\$H_1H_1\$	505
4	4 \$G_1G_1\$	\$H_2H_2\$	539
5	5 \$G_1G_1\$	\$H_1H_1\$	530
6	6 \$G_1G_2\$	\$H_1H_2\$	489
7	7 \$G_1G_2\$	\$H_2H_2\$	486
8	8 \$G_2G_2\$	\$H_1H_1\$	485
9	9 \$G_1G_2\$	\$H_2H_2\$	478
10	10 \$G_2G_2\$	\$H_1H_2\$	479
11	11 \$G_1G_1\$	\$H_1H_2\$	520
12	12 \$G_1G_1\$	\$H_1H_1\$	521
13	13 \$G_2G_2\$	\$H_1H_2\$	473
14	14 \$G_2G_2\$	\$H_1H_2\$	457
15	15 \$G_1G_2\$	\$H_1H_1\$	497
16	16 \$G_1G_2\$	\$H_1H_2\$	516
17	17 \$G_1G_1\$	\$H_1H_2\$	524
18	18 \$G_1G_1\$	\$H_1H_2\$	502
19	19 \$G_1G_1\$	\$H_2H_2\$	508
20	20 \$G_1G_2\$	\$H_1H_2\$	506

- Count number of favorable alleles G_1 and H_1

▶ Run Code



```
1 # counting number of favorable alleles
2 df_genom$Count.SNP.G <- sapply(df_genom$SNP.G, function(x)
3                                     length(grep("1",
4                                     unlist(strsplit(x,
5                                     USE.NAMES = F)
6 df_genom$Count.SNP.H <- sapply(df_genom$SNP.H, function(x)
7                                     length(grep("1",
8                                     unlist(strsplit(x,
9                                     USE.NAMES = F))
```

unlist(strsplit(x,

8

9

USE.NAMES = F)

10 df_geno

	Animal	SNP.G	SNP.H	Observation	Count.SNP.G	Count.SNP.H
1	1	\$G_1G_1\$	\$H_1H_2\$	510	2	1
2	2	\$G_1G_2\$	\$H_1H_1\$	528	1	2
3	3	\$G_1G_2\$	\$H_1H_1\$	505	1	2
4	4	\$G_1G_1\$	\$H_2H_2\$	539	2	0
5	5	\$G_1G_1\$	\$H_1H_1\$	530	2	2
6	6	\$G_1G_2\$	\$H_1H_2\$	489	1	1
7	7	\$G_1G_2\$	\$H_2H_2\$	486	1	0
8	8	\$G_2G_2\$	\$H_1H_1\$	485	0	2
9	9	\$G_1G_2\$	\$H_2H_2\$	478	1	0
10	10	\$G_2G_2\$	\$H_1H_2\$	479	0	1
11	11	\$G_1G_1\$	\$H_1H_2\$	520	2	1
12	12	\$G_1G_1\$	\$H_1H_1\$	521	2	2
13	13	\$G_2G_2\$	\$H_1H_2\$	473	0	1
14	14	\$G_2G_2\$	\$H_1H_2\$	457	0	1
15	15	\$G_1G_2\$	\$H_1H_1\$	497	1	2
16	16	\$G_1G_2\$	\$H_1H_2\$	516	1	1
17	17	\$G_1G_1\$	\$H_1H_2\$	524	2	1
18	18	\$G_1G_1\$	\$H_1H_2\$	502	2	1
19	19	\$G_1G_1\$	\$H_2H_2\$	508	2	0
20	20	\$G_1G_2\$	\$H_1H_2\$	506	1	1

- Fit regression of observation on count of favorable alleles

▶ Run Code



```
1 # fit linear model of observation on allele counts
2 lm_gen0 <- lm(Observation ~ Count.SNP.G + Count.SNP.H, data = df_gen0)
3 summary(lm_gen0)
```

Call:

lm(formula = Observation ~ Count.SNP.G + Count.SNP.H, data = df_gen0)

Residuals:

Min	1Q	Median	3Q	Max
-18.4643	-8.2468	-0.6883	3.9448	26.9383

Coefficients:

	Estimate	Std. Error	t value	Pr(> t)
(Intercept)	465.425	7.476	62.252	< 2e-16 ***
Count.SNP.G	23.318	3.861	6.040	1.33e-05 ***
Count.SNP.H	8.403	4.127	2.036	0.0577 .

Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 12.8 on 17 degrees of freedom

Multiple R-squared: 0.691, Adjusted R-squared: 0.6546

F-statistic: 19.01 on 2 and 17 DF, p-value: 4.621e-05